

Jacek GRAJNERT\*

Zbigniew CHABRAŚ\*

Piotr WOLKO\*



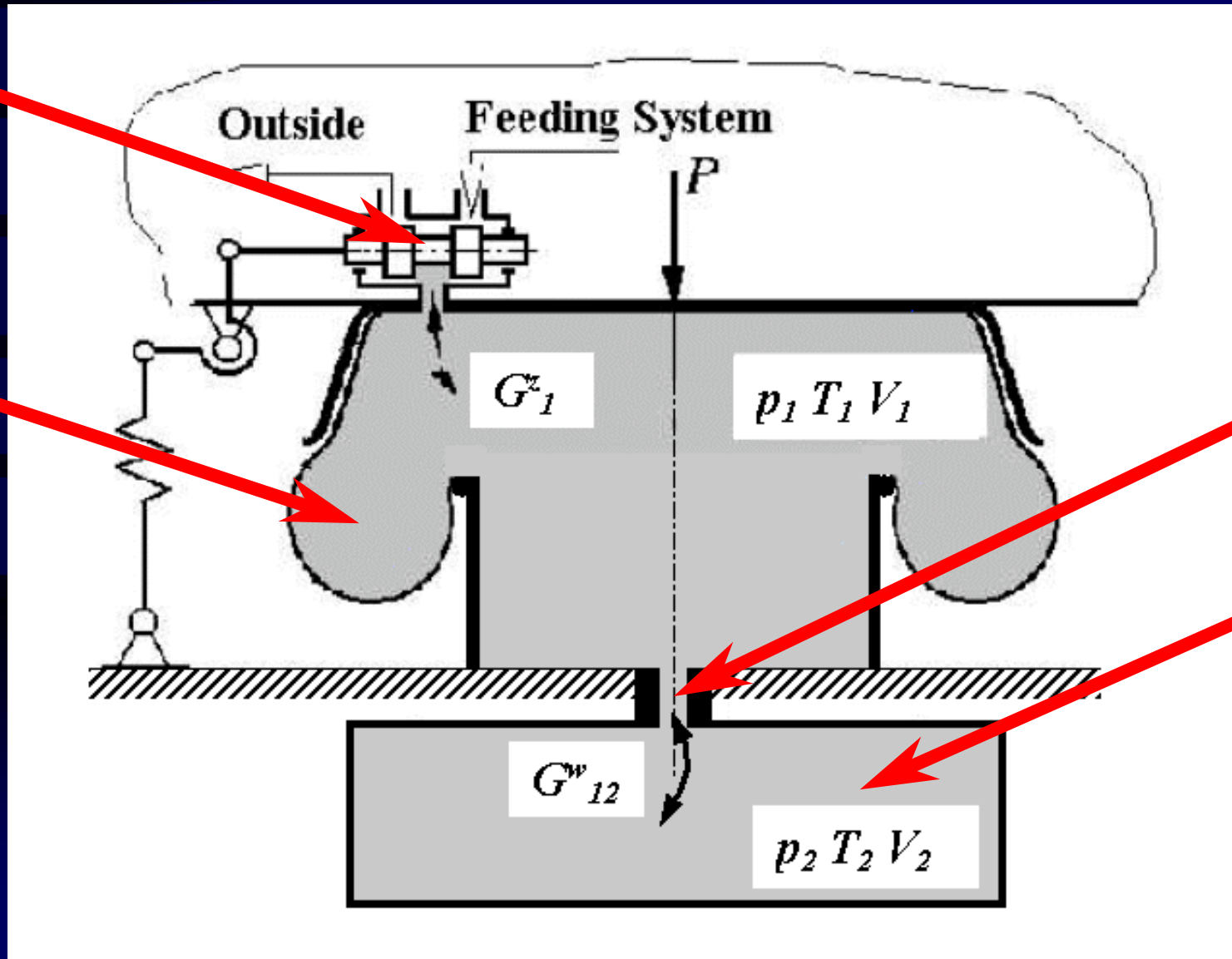
# Airspring Modeled in MATLAB/Simulink as a Force Element in ADAMS

\* Wrocław University of Technology

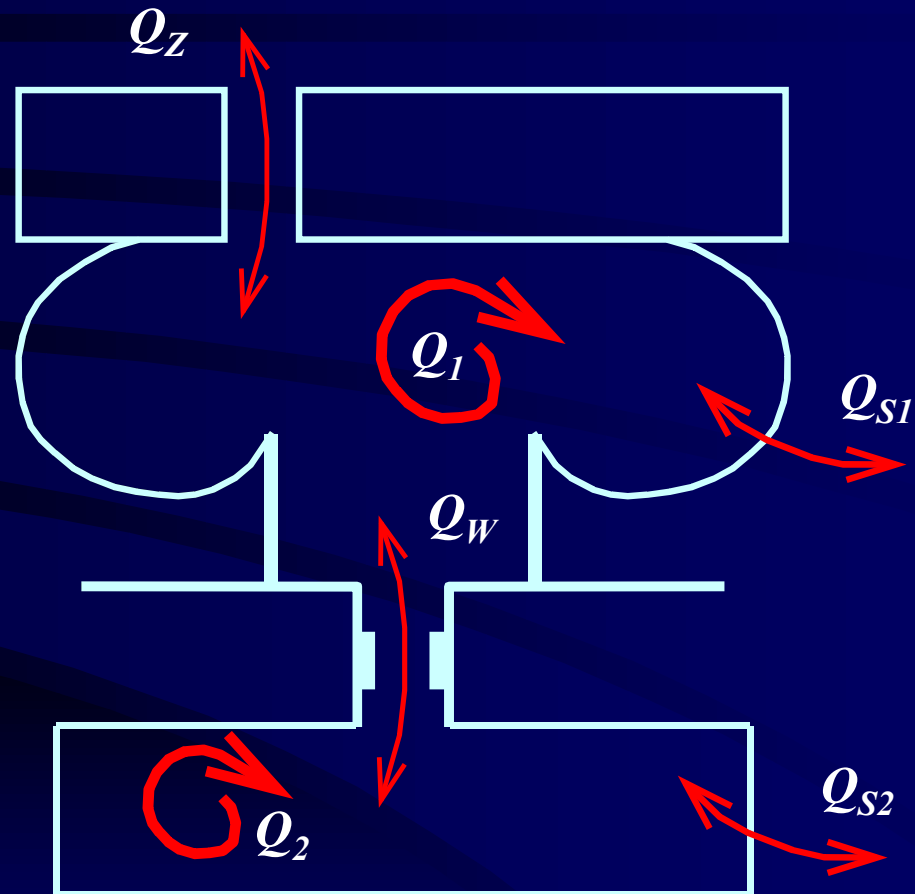
# Examples of Pneumatic Suspended Vehicles



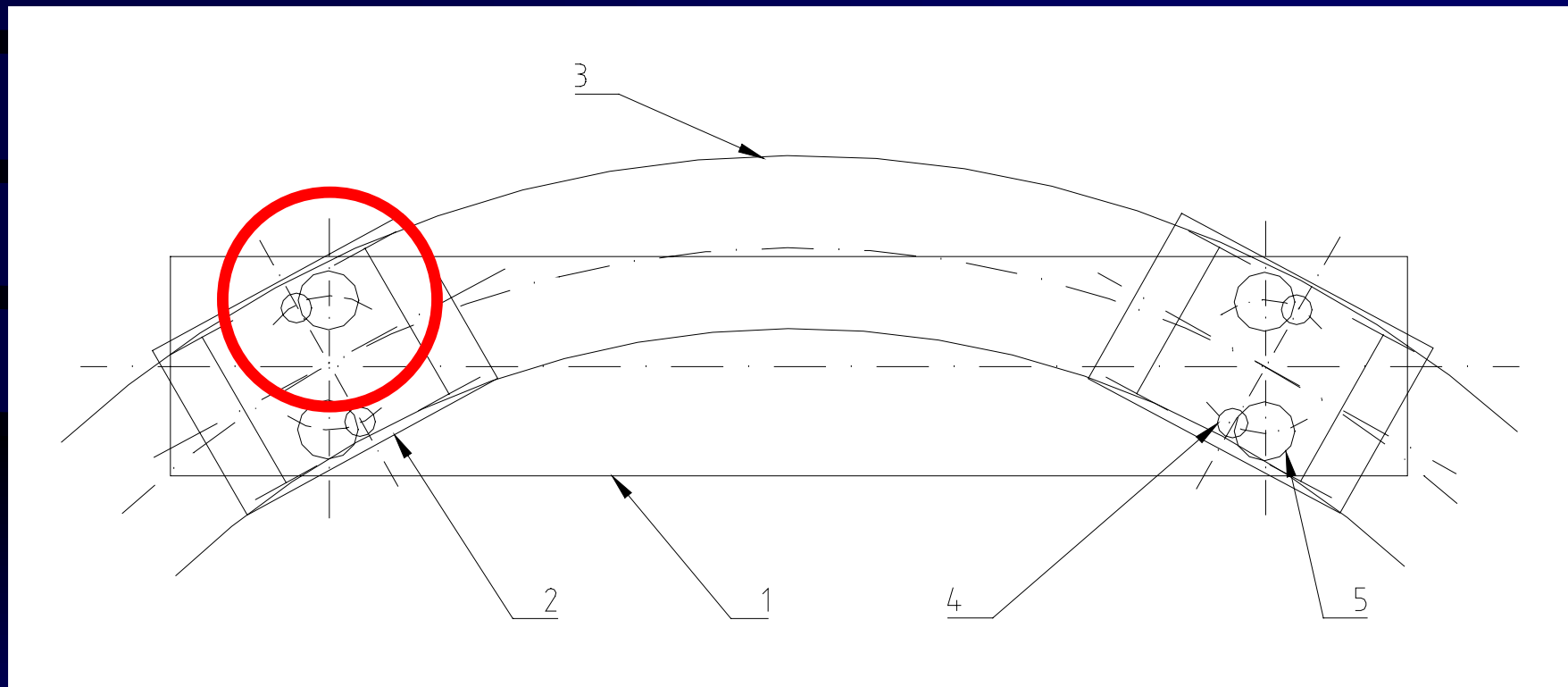
# Elementary Pneumatic Suspension



# Energy Flow in Elementary Airspring

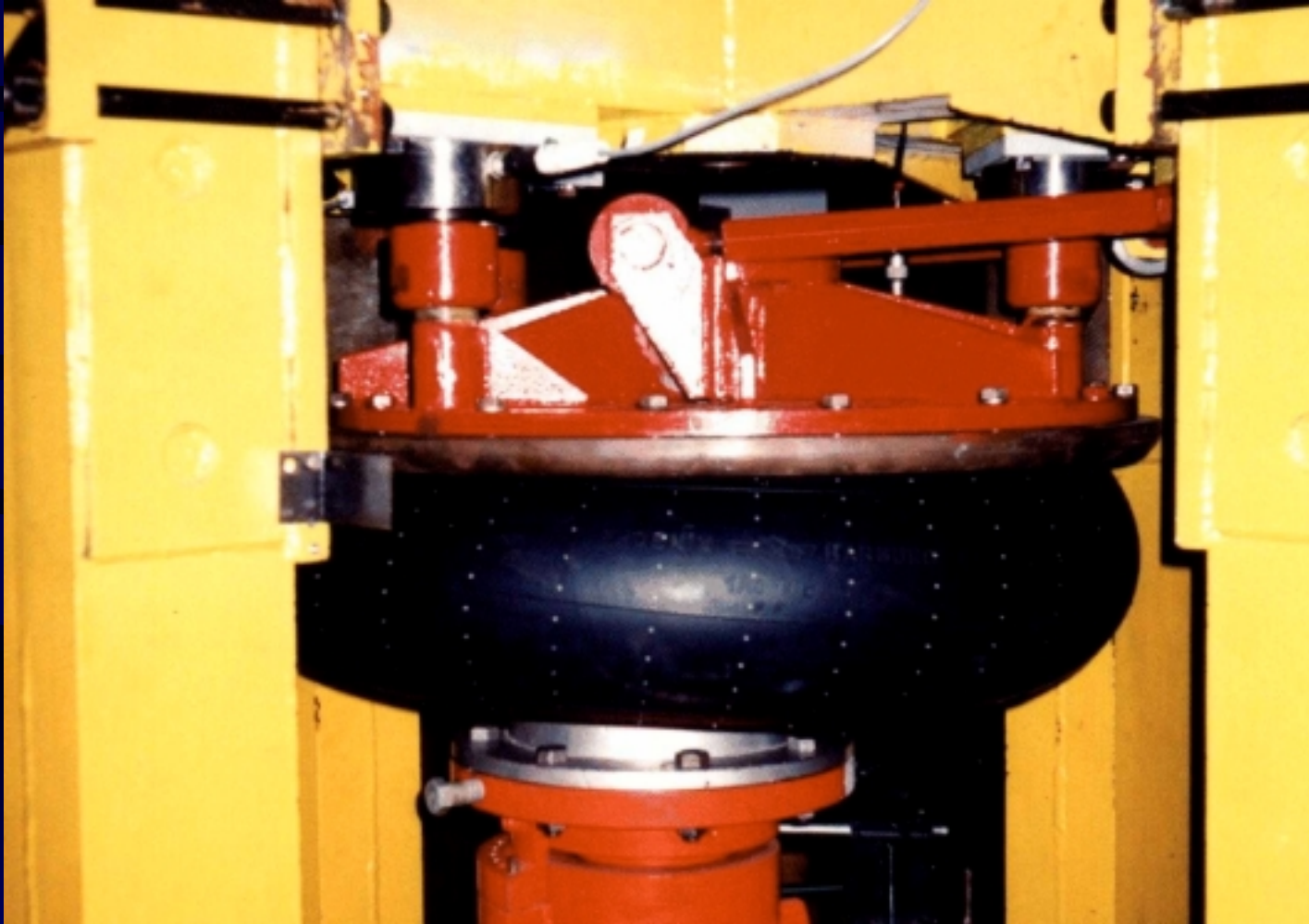


# Railway Car on a Curve and Airsprings Deformations

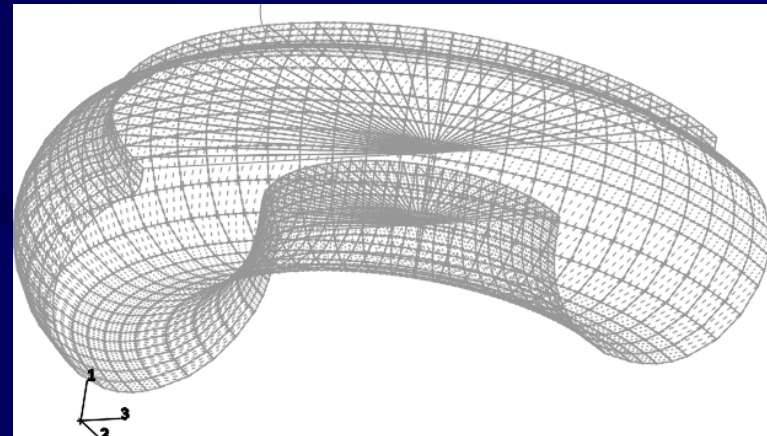
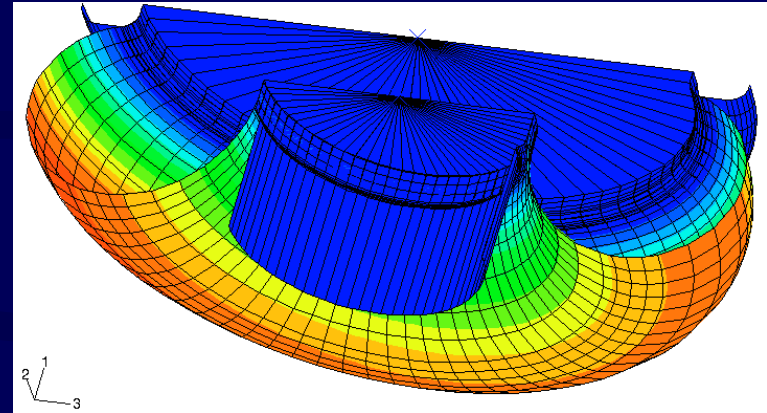
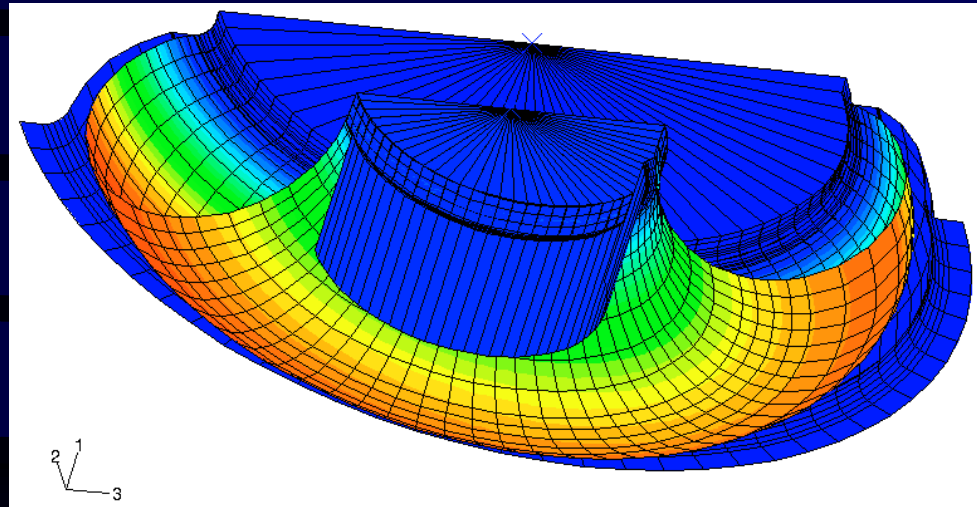




# Laboratory Tests



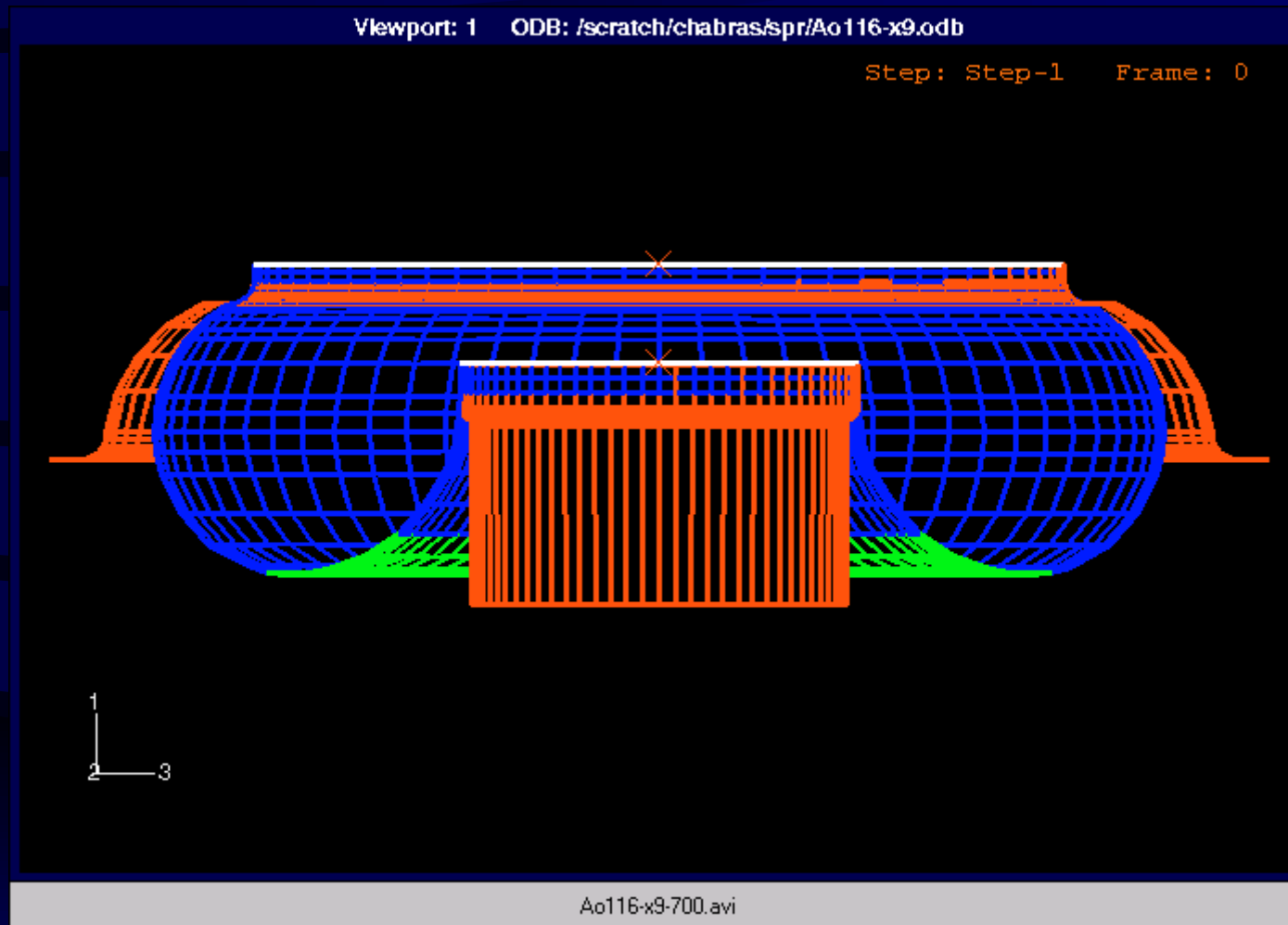
# Airspring FEM Model in ABAQUS\*



\* calculated by Wroclaw Centre of Networking and Supercomputing

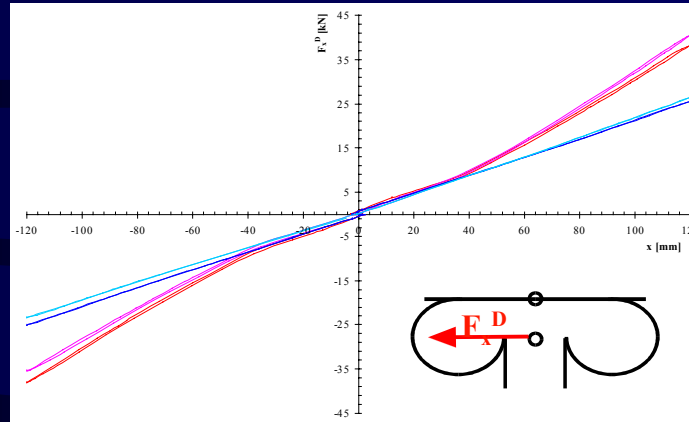


# Example of Load Cases

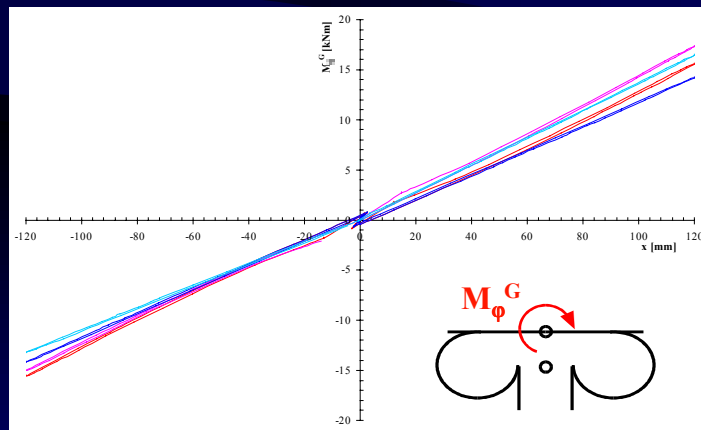


- inflation (0.0÷0.5 MPa),
- axial deflection (35÷105mm),
- rotational deflection (-5°÷5°)
- lateral deflection (-120÷120mm)

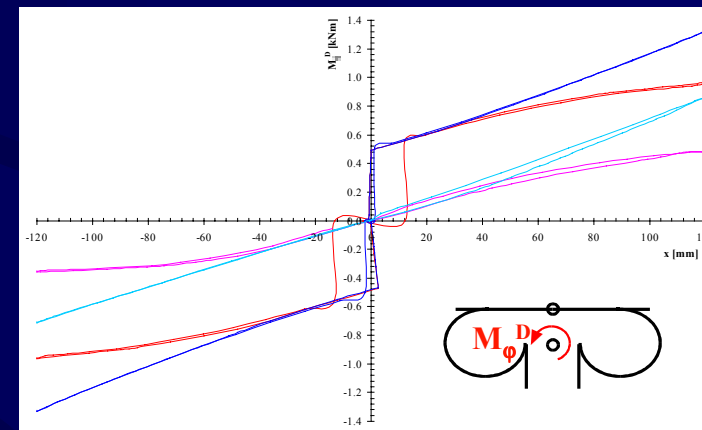
# Airspring Characteristics Calculated by FEM



Reaction Force  $F_x^D$  at lower mounting point

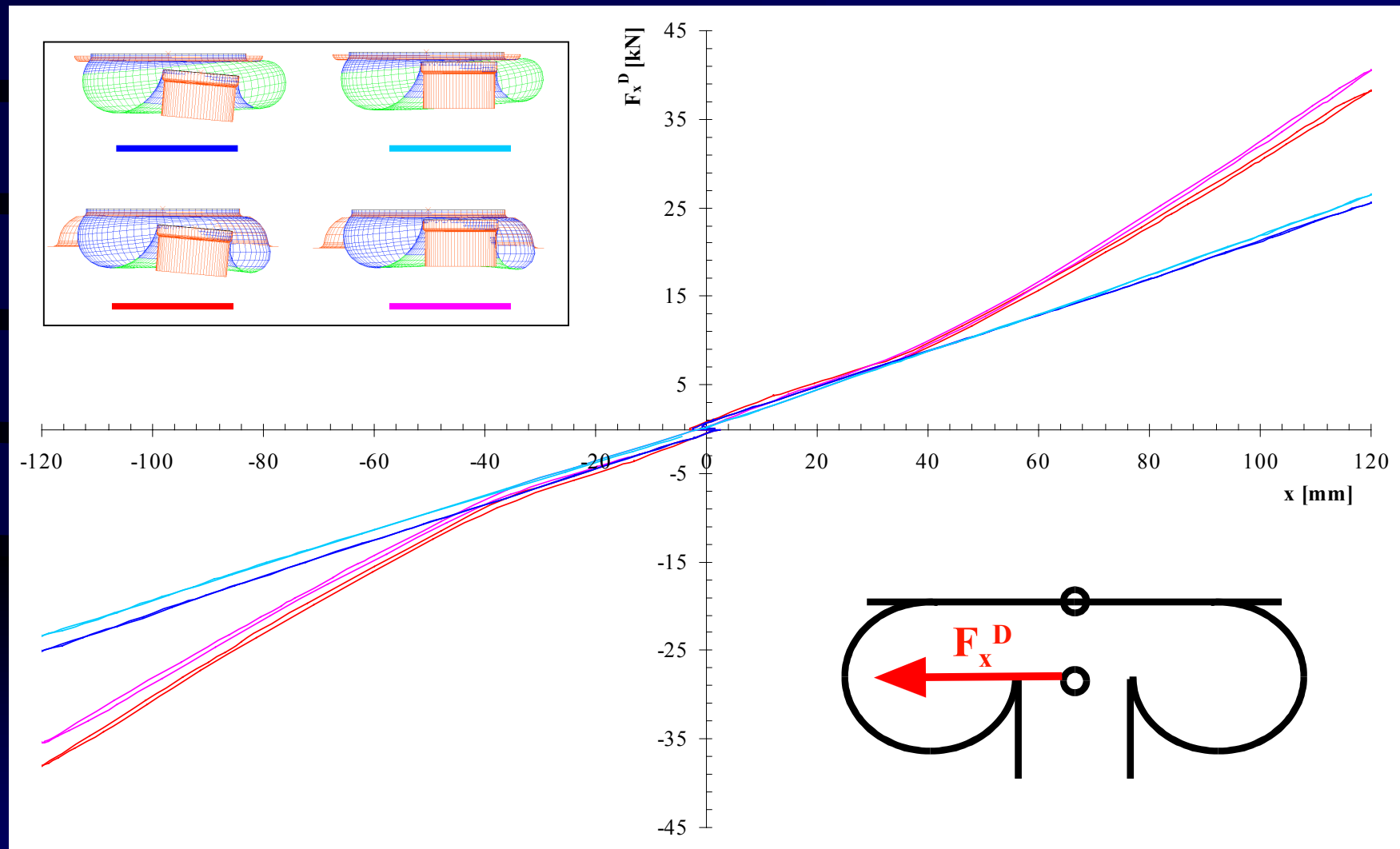


Reaction Moment  $M_\phi^G$  at upper mounting point

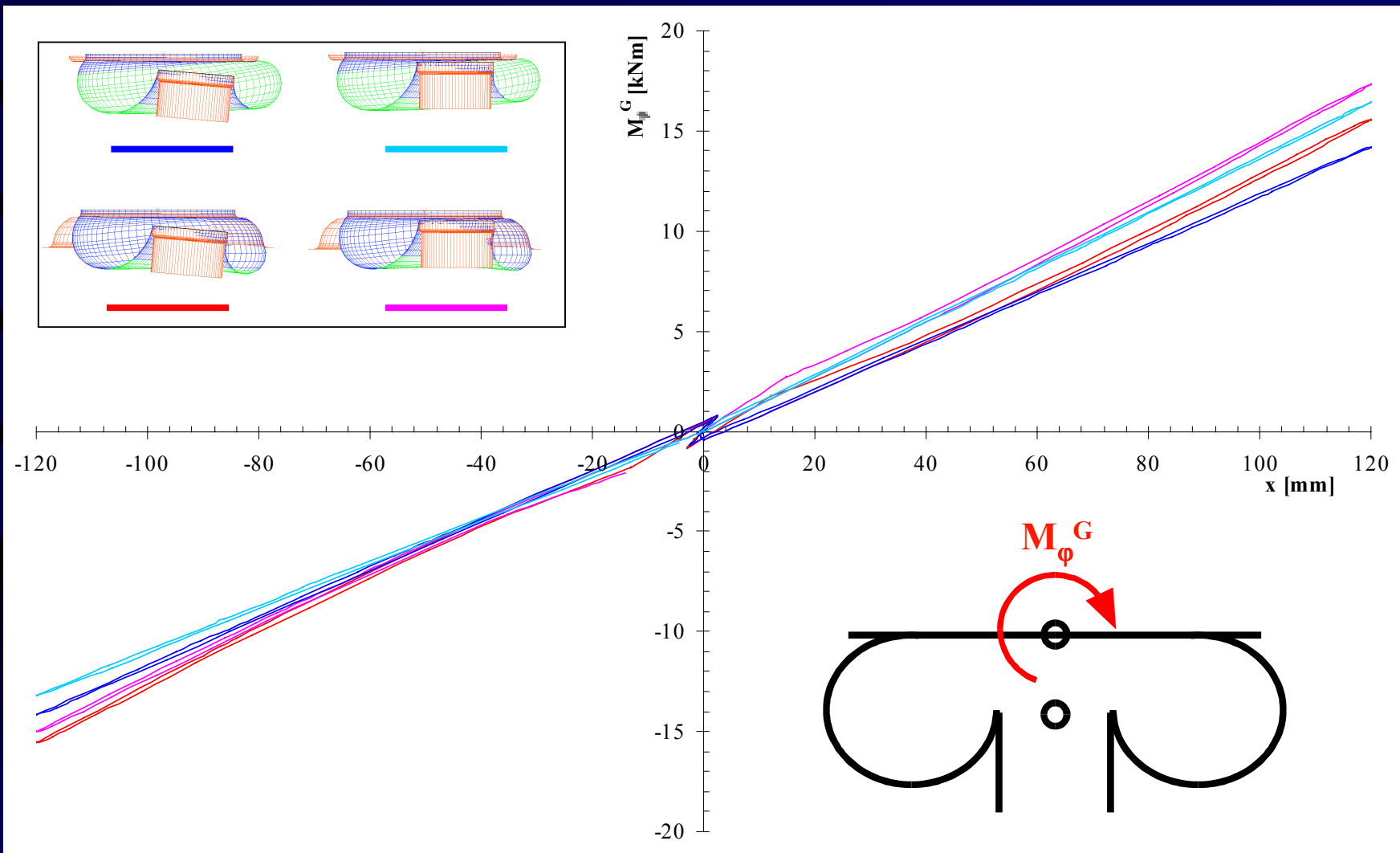


Reaction Moment  $M_\phi^D$  at lower mounting point

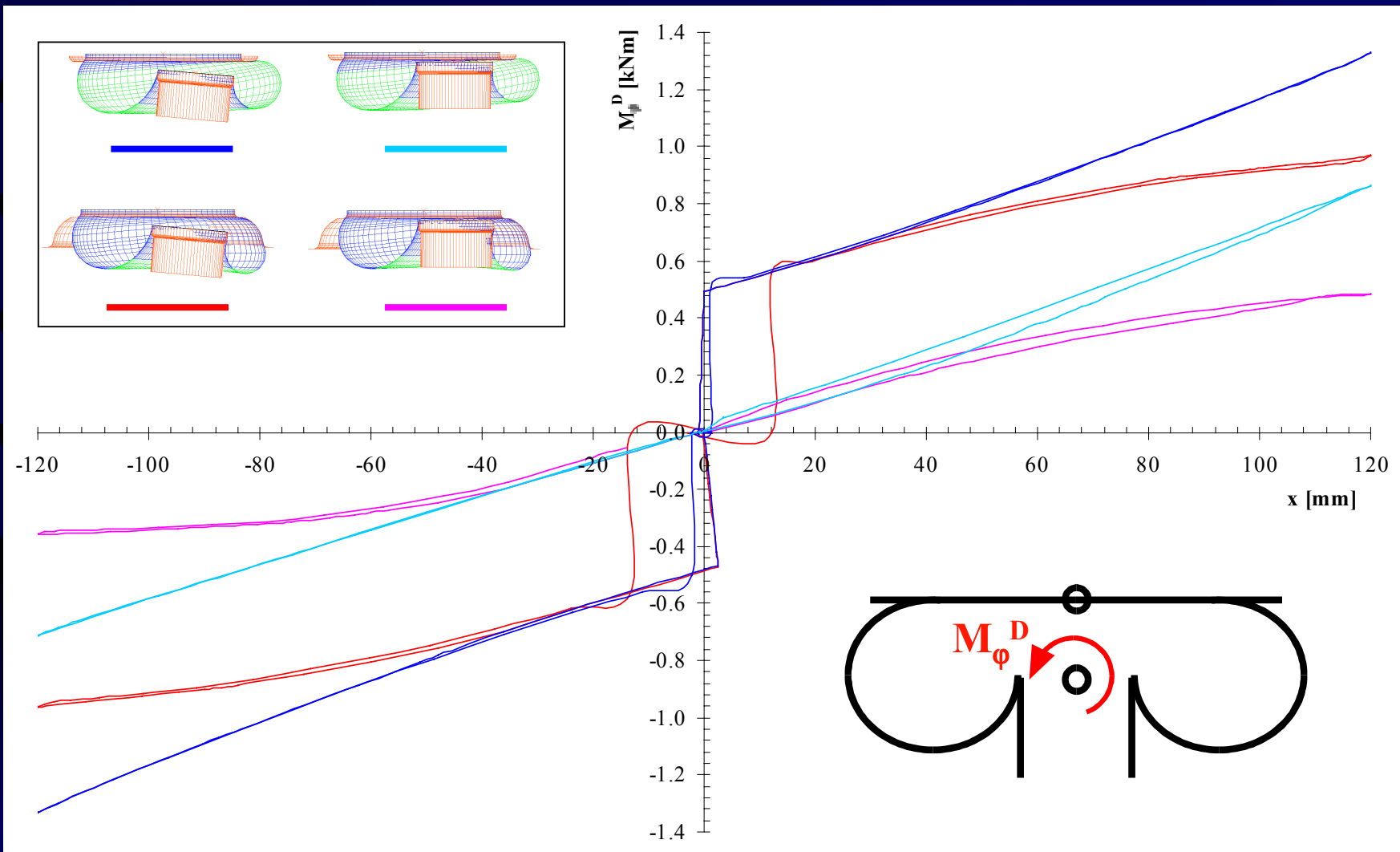
# Reaction Force $F_x^D$ at Lower Mounting Point



# Reaction Moment $M_{\varphi}^G$ at Upper Mounting Point

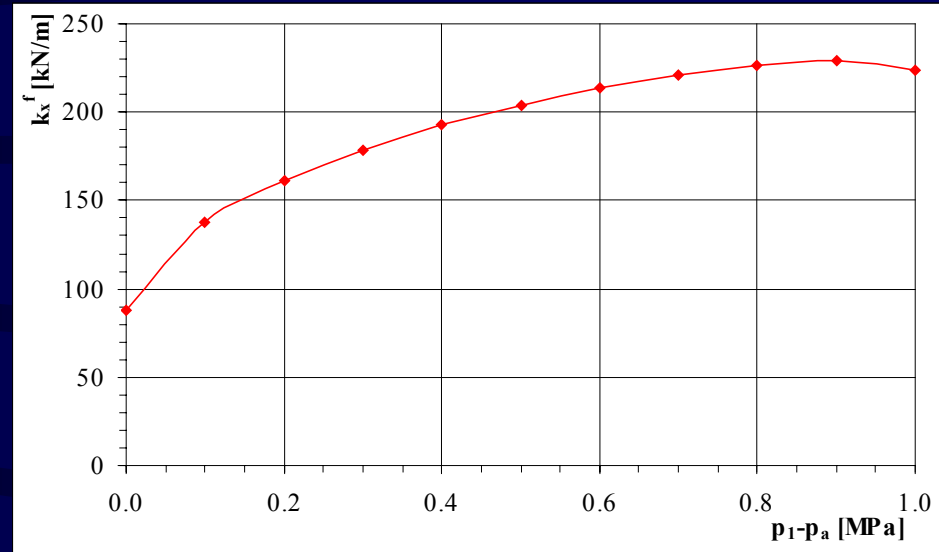


# Reaction Moment $M_{\varphi}^D$ at Lower Mounting Point

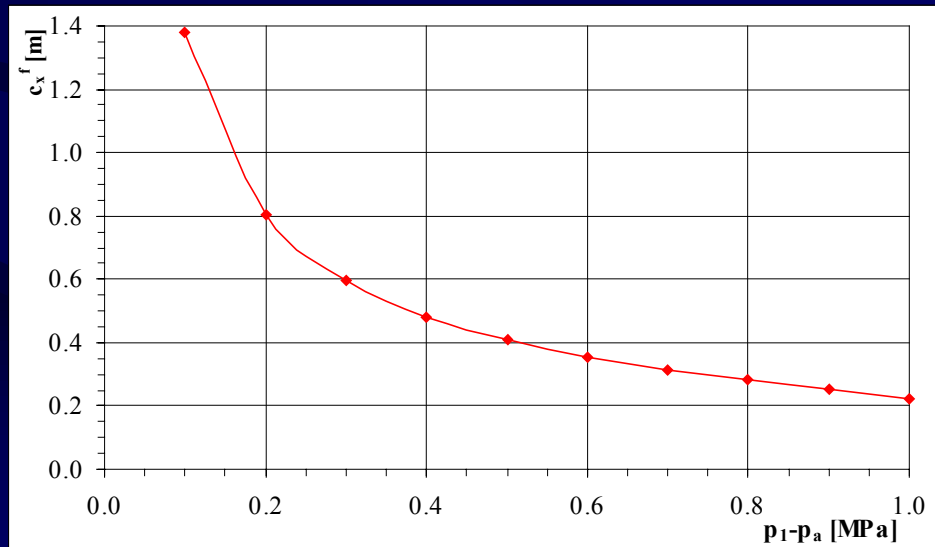


# x-Coefficients

$$k_x^f = \frac{F_x^D}{x}$$

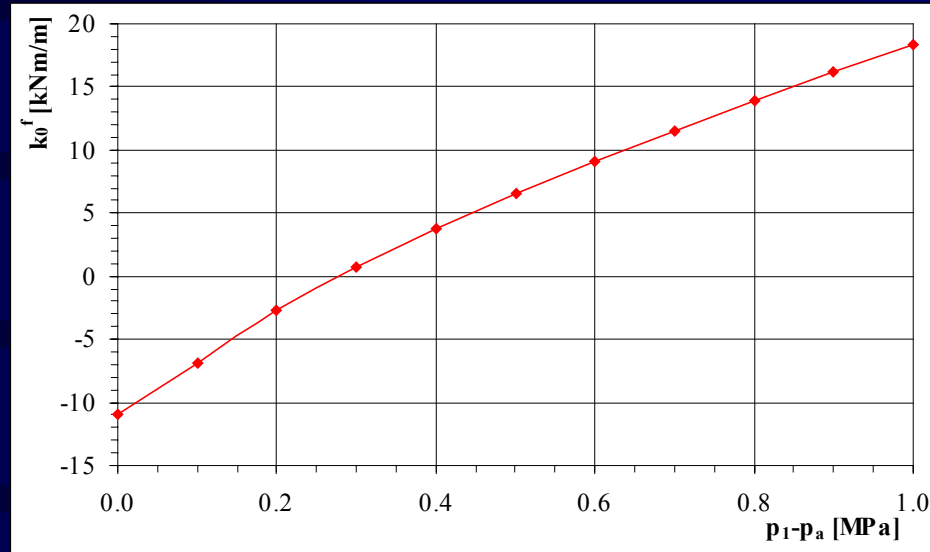


$$c_x^f = \frac{k_x^f}{p_1 - p_a}$$

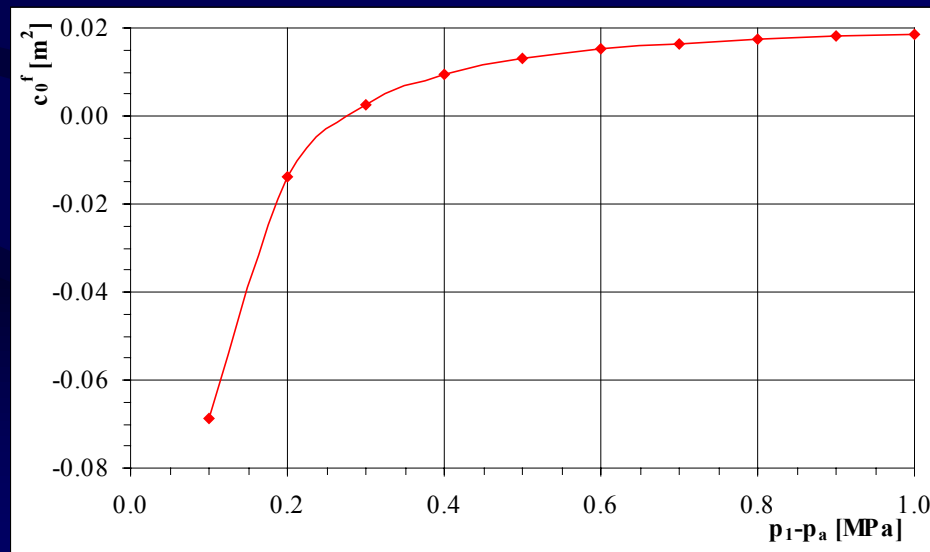


# $\phi$ -Coefficients

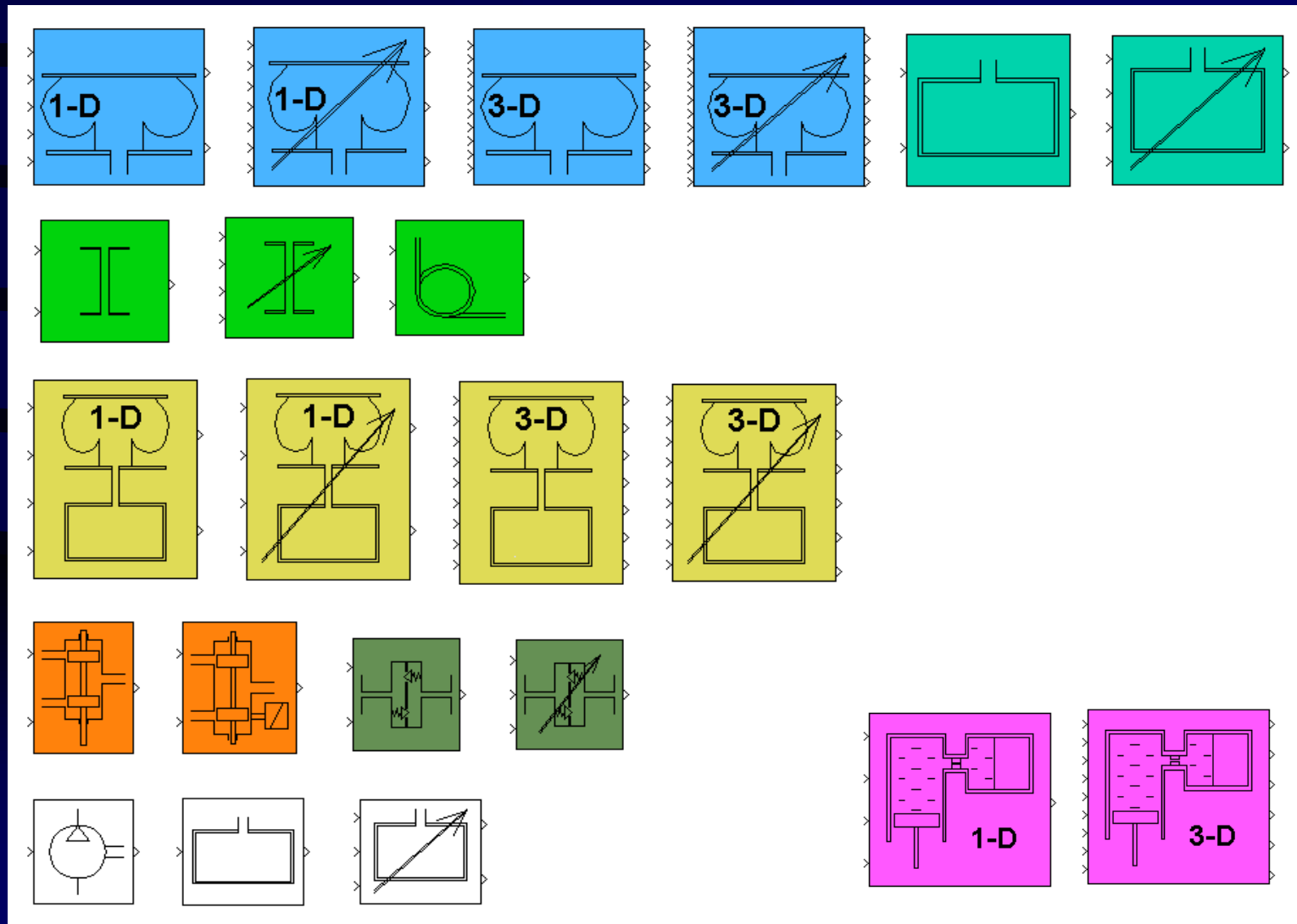
$$k_0^f = \frac{M_\phi^D}{x}$$



$$c_0^f = \frac{k_0^f}{p_1 - p_a}$$



# Library of Components of Pneumatic Suspension System





# Airsprings - Linear and Nonlinear

Block Parameters: Airspring 3-D linear

- Airspring 3-D - linear (mask)

In : Fz0, dz, dx, dy, dfiz, dfix, dfiy, Gz, Gs  
Out : Fz, Fx, Fy, Mz, Mx, My

Parameters

Airspring type: User Defined

Additional airspring volume [m3]: 0.005

Reservoir volume [m3]: 0.14

Capillary diameter [m]: 0.015

Gamma coefficient [s/m]: 0.01

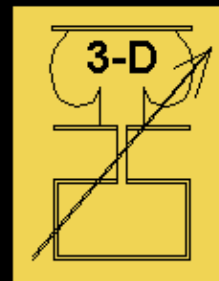
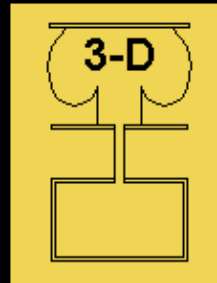
Outside temperature [K]: 293

Outside pressure [Pa]: 100000

Specific heat at constant pressure [J/kgK]: 1005

Specific heat at constant volume [J/kgK]: 717

Apply Revert Help Close



Block Parameters: Airspring 3-D nonlinear

- Airspring 3-D - nonlinear (mask)

In : Fz0, dz, dx, dy, dfiz, dfix, dfiy, Gz, Gs  
Out : Fz, Fx, Fy, Mz, Mx, My

Parameters

Airspring type: User Defined

Additional airspring volume [m3]: 0.005

Reservoir volume [m3]: 0.14

Capillary diameter [m]: 0.011

Orifice diameter: User Defined

Flow resistance coefficient [-]: 1

Outside temperature [K]: 293

Outside pressure [Pa]: 100000

Specific heat at constant pressure [J/kgK]: 1005

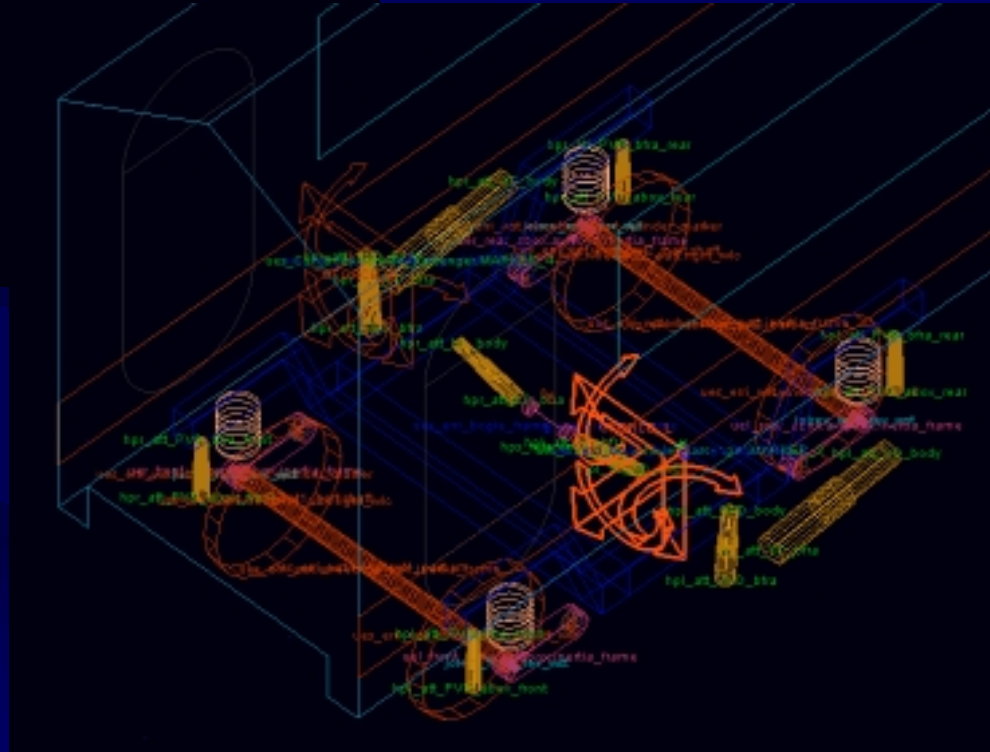
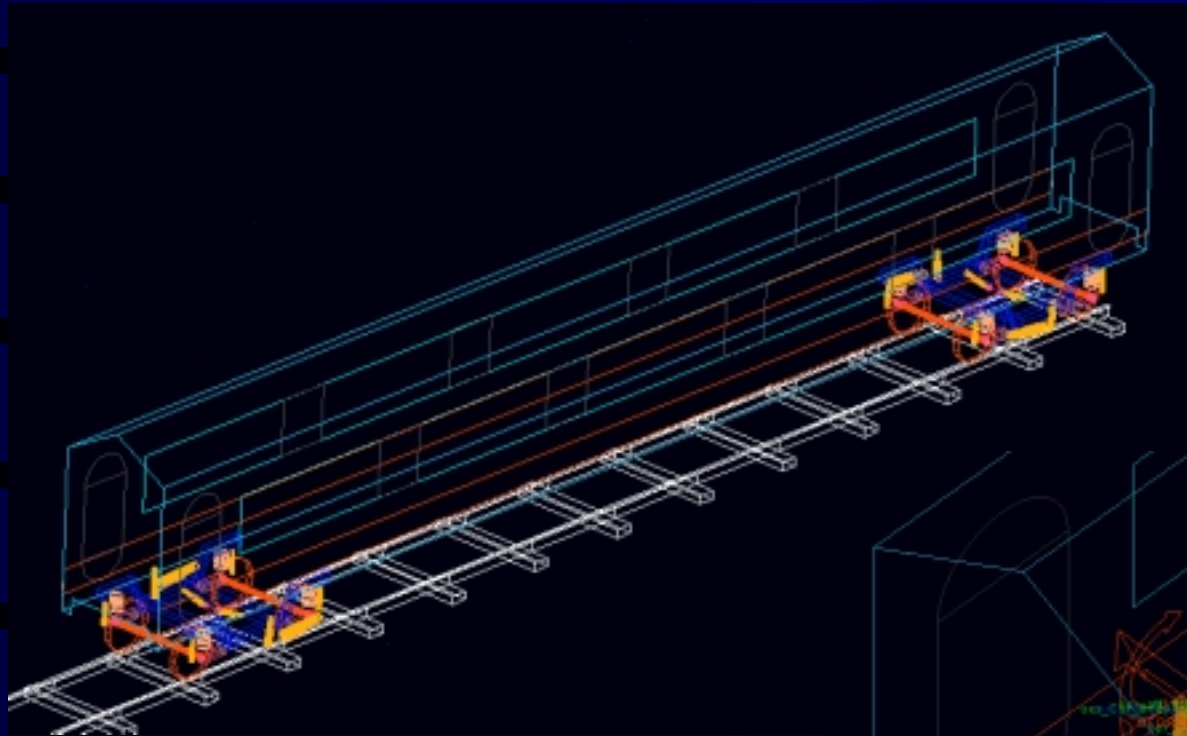
Specific heat at constant volume [J/kgK]: 717

Heat transfer coefficient - airspring [W/K]: 0

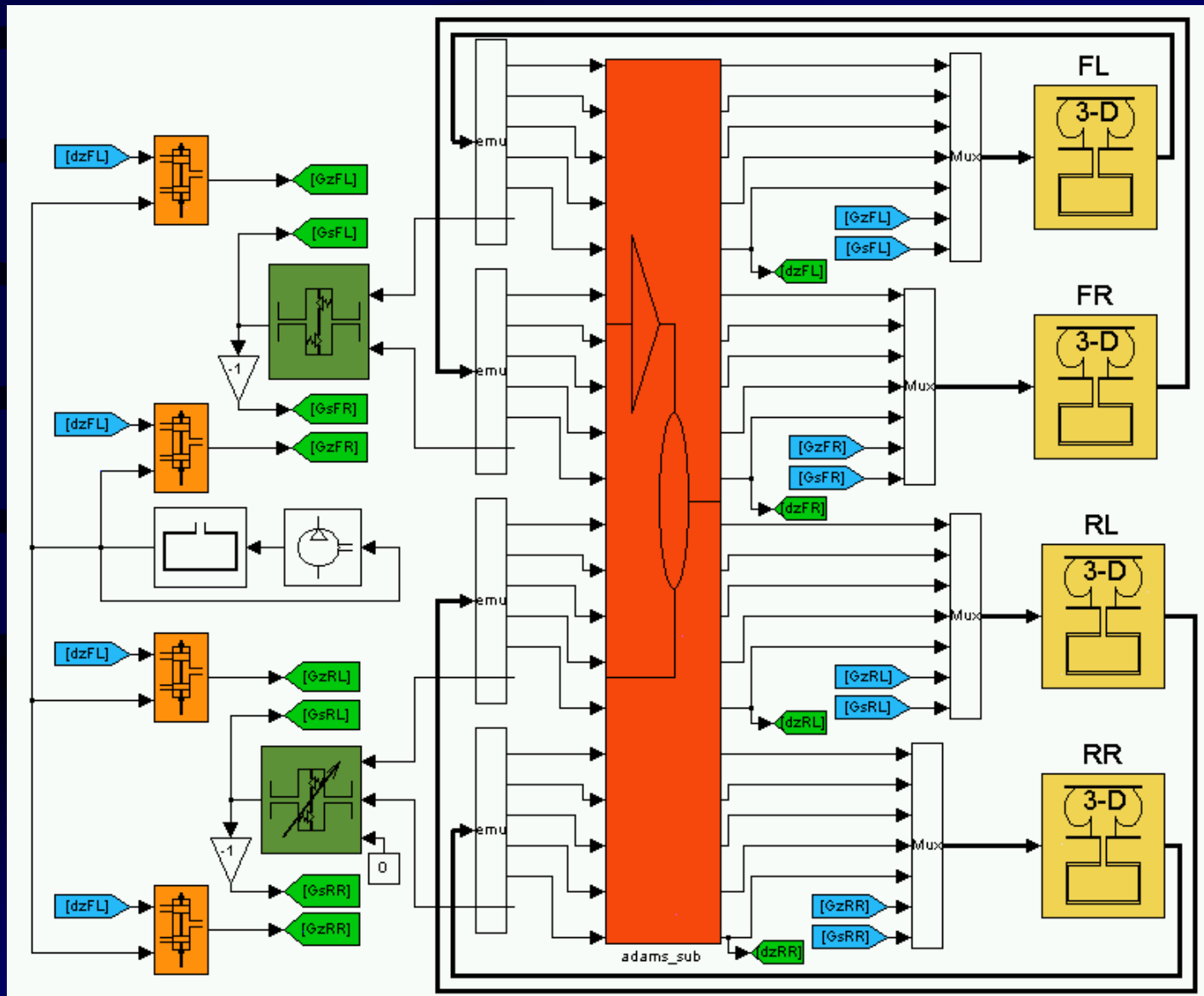
Heat transfer coefficient - reservoir [W/K]: 0

Apply Revert Help Close

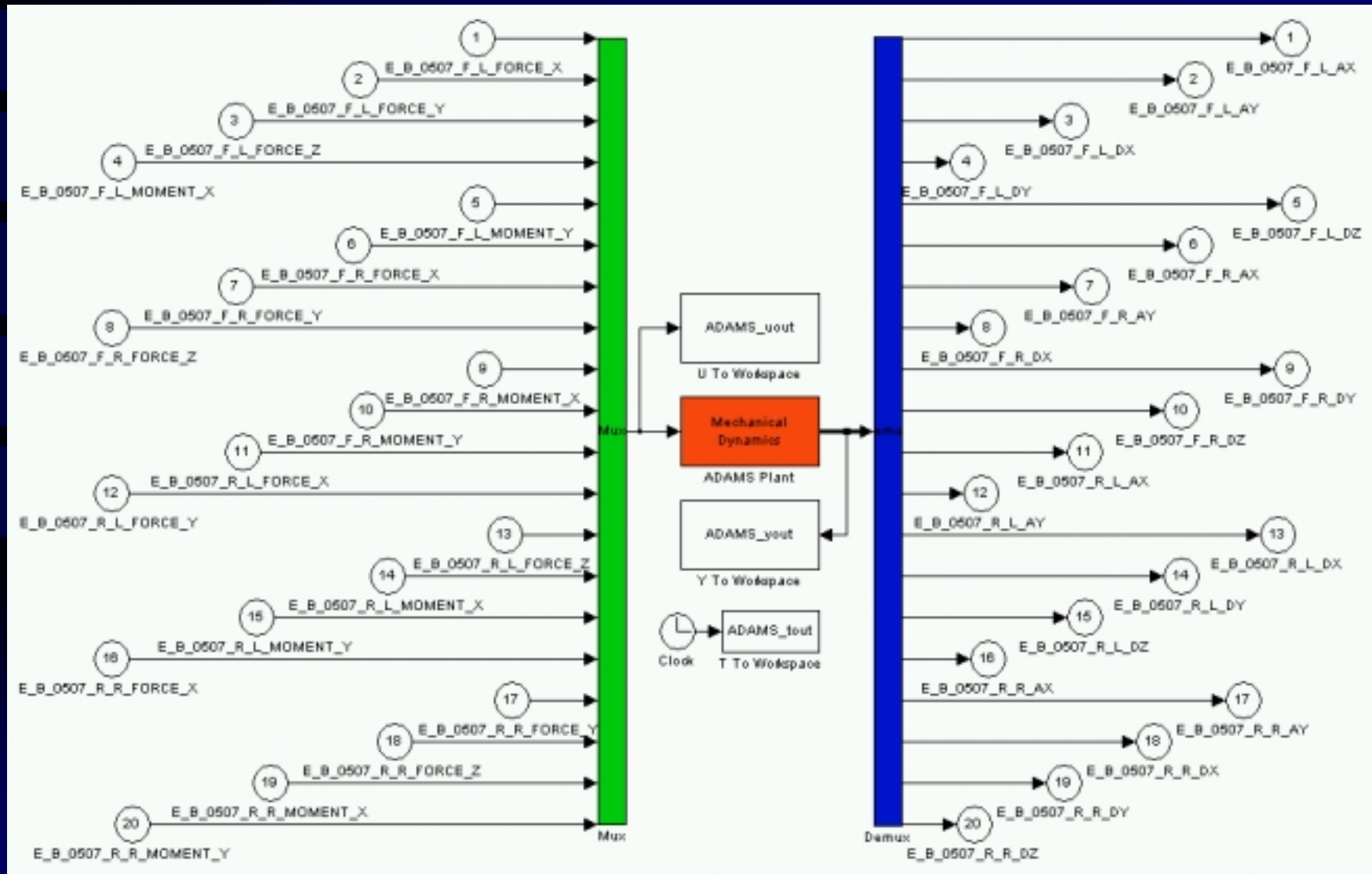
# Example - Model of the Railway Car



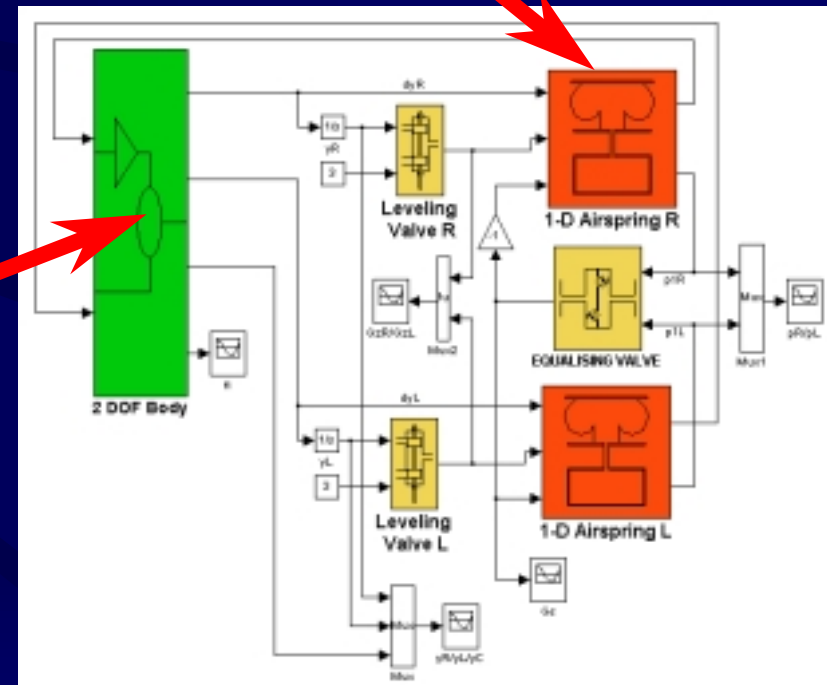
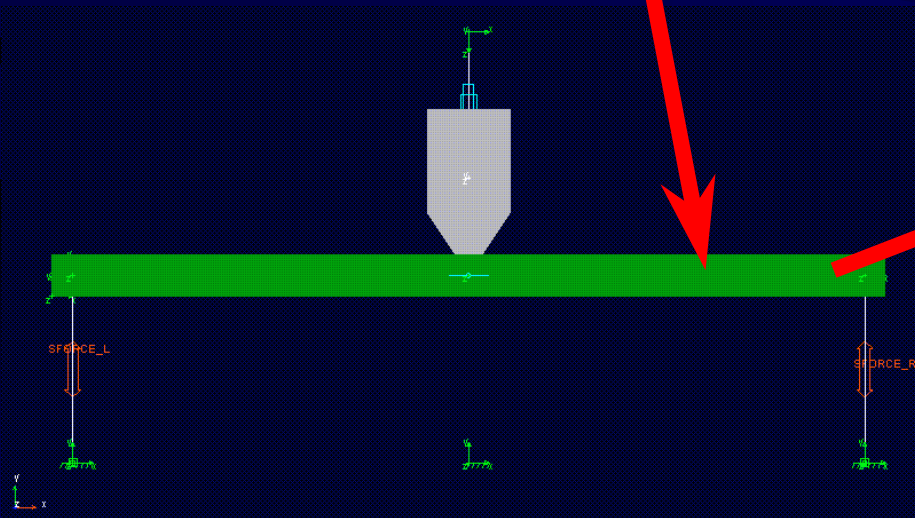
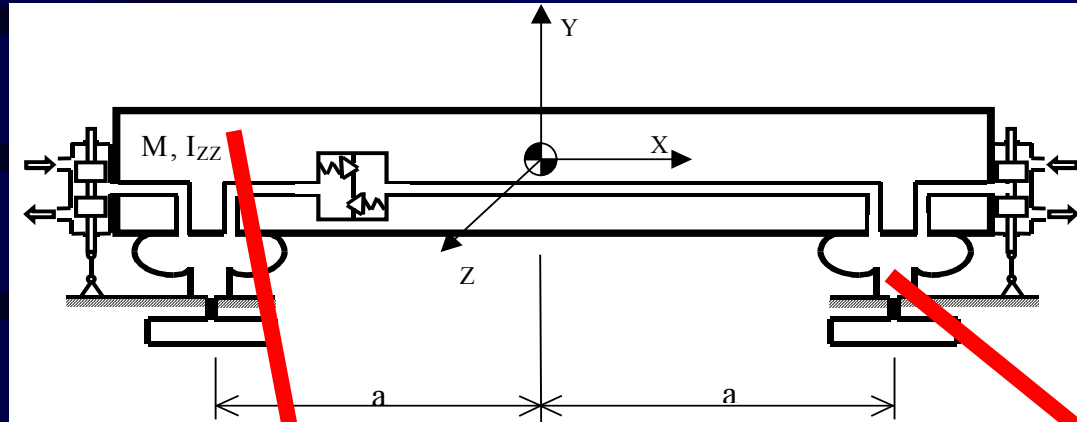
# MATLAB/Simulink Part of the Railway Car Model



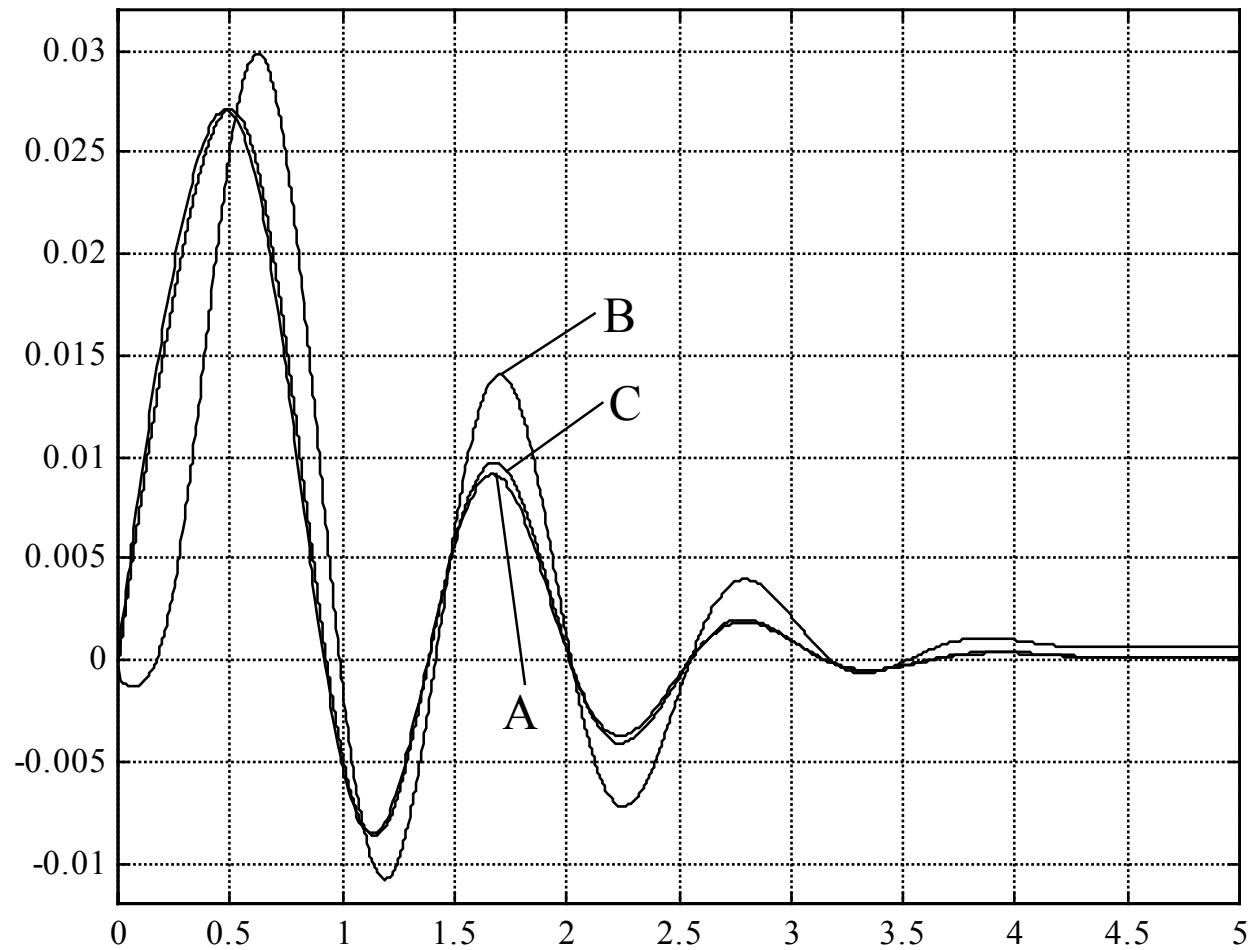
# Structure of the „adams\_sub” Block



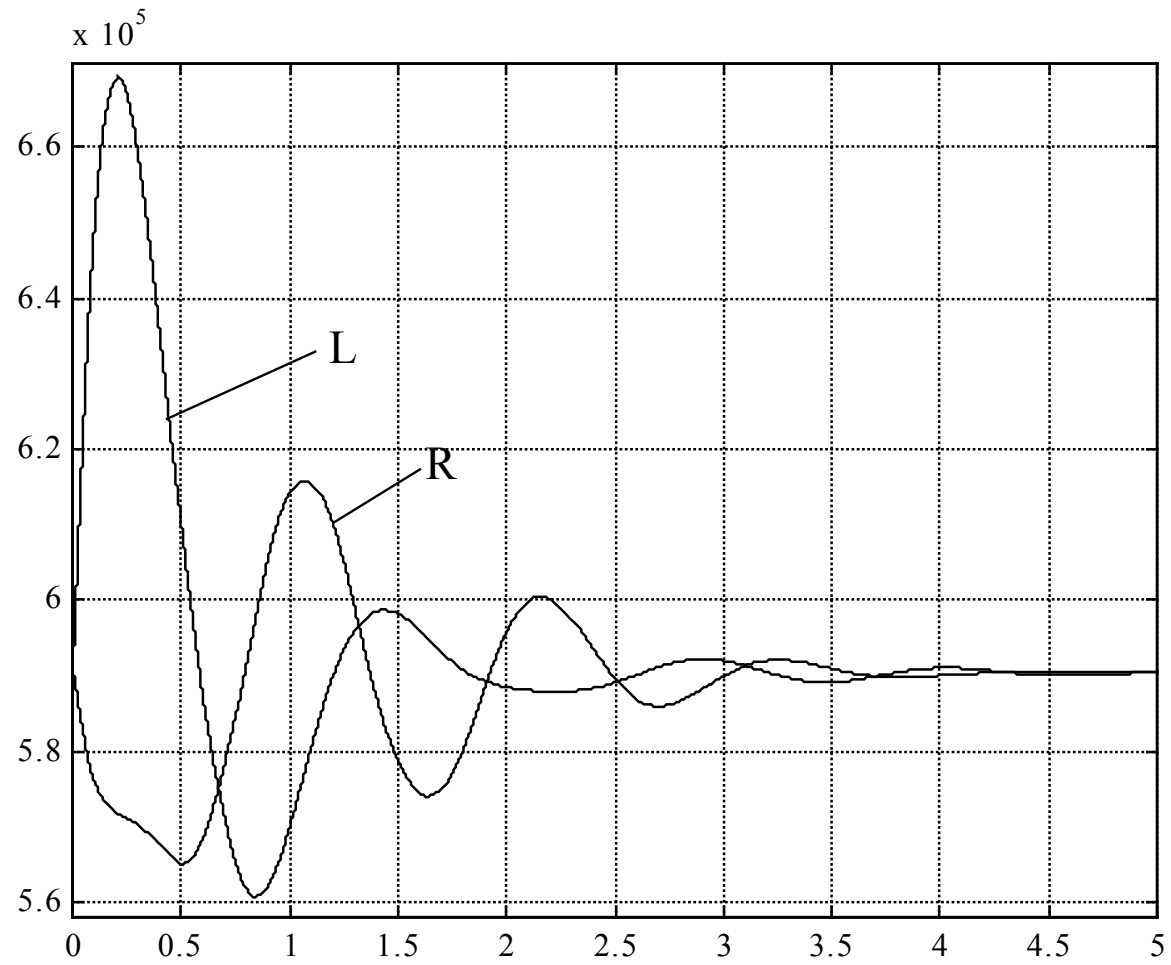
# Simplified Railway Car Model



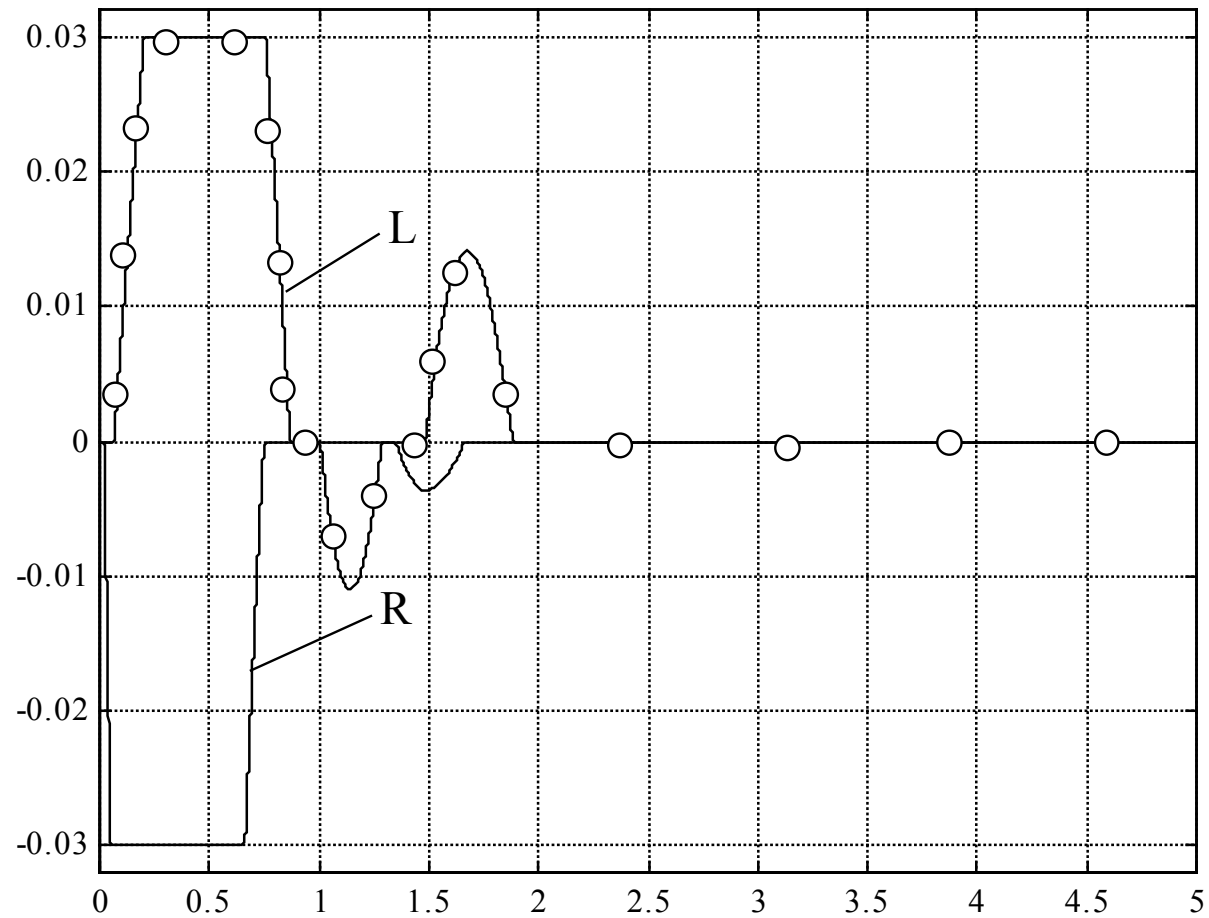
Vertical displacement „yR” for M\_0.01 s (A),  
A-M\_0.01 s (B) and A-M\_0.001 s (C)



# Pressure in Elastic Chambers



# Air Mass Flow from Feeding System



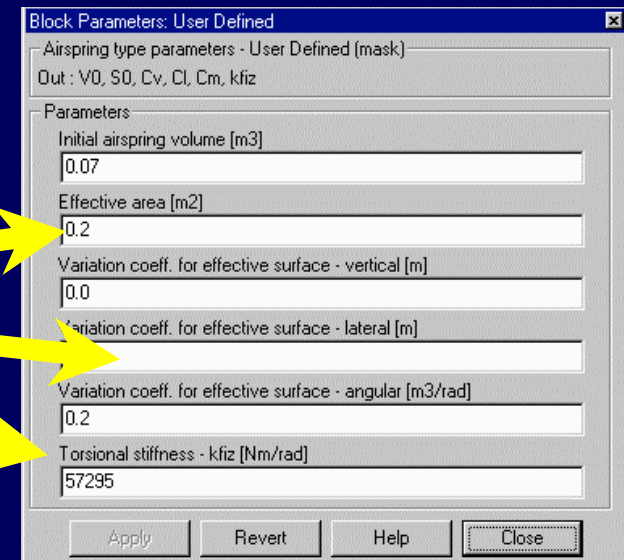
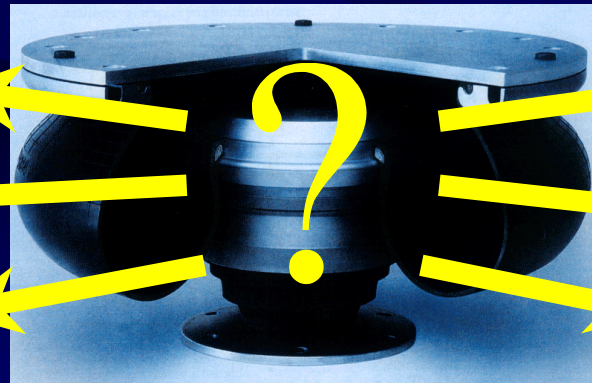
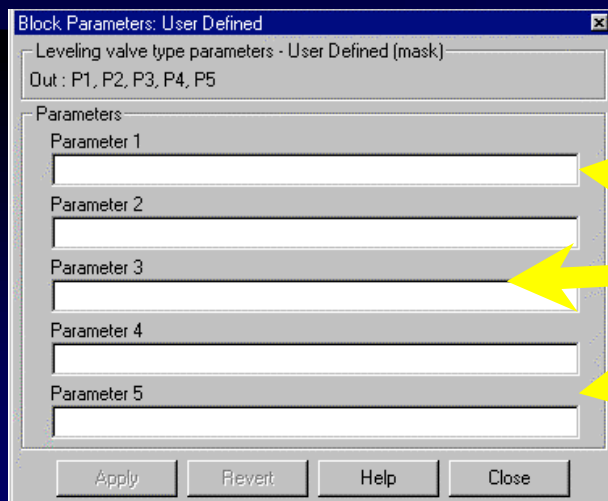


# Conclusions

- Simpler building of vehicle models with advanced pneumatic suspension system
- Easy choice of the suspension system parameters
- Usability of linearized models
- Evaluation possibility of pressures, air mass flow and temperatures in each point of the suspension system
- Openness for new models

# Future Plans

- More detailed tests on airsprings to obtain full 3-D characteristics
- Collecting and eventual completion of the equalising and leveling valves characteristics
- Broadening the pneumatics library with other components e.g. position sensors



# Bibliography

- [1] Grajnert J. : Podstawy teoretyczno-doświadczalne projektowania zawieszzeń pneumatycznych. Oficyna Wydawnicza PWR, Wrocław 1996.
- [2] Grajnert J. : Improvement in Airspring Modelling. 4<sup>th</sup> ADAMS/Rail Users' Conference. Utrecht 1999.
- [3] Grajnert J., Krettek O.: Zur Phänomenologie und Ersatzmodellbildung von Luftfedern. ZEV+DET Glas. Ann. 115 (1991), Nr. 7/8.
- [4] Grajnert J., Wolko P.: Library of Components of Pneumatic Suspension System modeled in MATLAB/SIMULINK and Possibilities of its Application in ADAMS/Rail. 5<sup>th</sup> ADAMS/Rail Users' Conference. Haarlem 2000.
- [5] Marcinkowski J.: Podstawy określania charakterystyk sprężyn powietrznych. Prace Naukowe IKEM PWR, Nr 68, Seria: Monografie Nr 19, Wrocław 1992
- [6] Oda N., Nishioka K., Nishimura S.: Theoretical analysis of the diaphragm air springs for railroad vehicles. 40<sup>th</sup> General Meeting of Japan Soc. Mech. Eng., 1963

## Summary

This paper is a continuation of a previous one "Library of Components of Pneumatic Suspension System Modelled in MATLAB/SIMULINK and Possibilities of its Application in ADAMS/Rail". It shows how to build a model of pneumatic suspension system using specialised library in MATLAB/Simulink and include such a model into structure of a vehicle model using Plant Export function in ADAMS/Controls. ADAMS and MATLAB work in a loop and exchange such parameters as velocities, displacements, forces and moments in each airspring. Such approach allows building complex models of pneumatic suspension system where connections between airsprings, feeding system and control system are taken into account. It is especially useful by studying untypical cases of suspension system and when you need to follow specified parameters not available in present version of airspring model.